

Chapter 3

Particle Detection and Detector Layout

Basic considerations

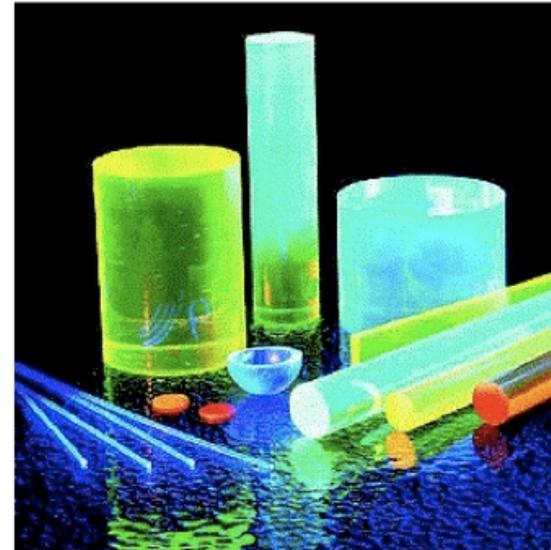
Need to convert the presence of a particle into a measurable signal!

Historically: Angular distributions in scattering experiments measured by detecting light flashes with the human eye

1919 Evidence for hard nucleus in atom
Rutherford et al.

Visible light:

$E_{\text{vis.light}} \approx \text{eV} \Rightarrow$ Light creation by low energy parts of particle cascade



How is the light produced?

Convert $dE/dx \rightarrow$ Photons (light)

Anorganic:

High Z

High absorption for γ

Simple crystal structure

Radiation hard

EM-calorimetry

Compact (X_0 , R_M)

Organic:

Low Z

Low absorption for γ

Complex organic molecules

Less radiation hard

Trigger, hodoscope

Charged particles, neutrons

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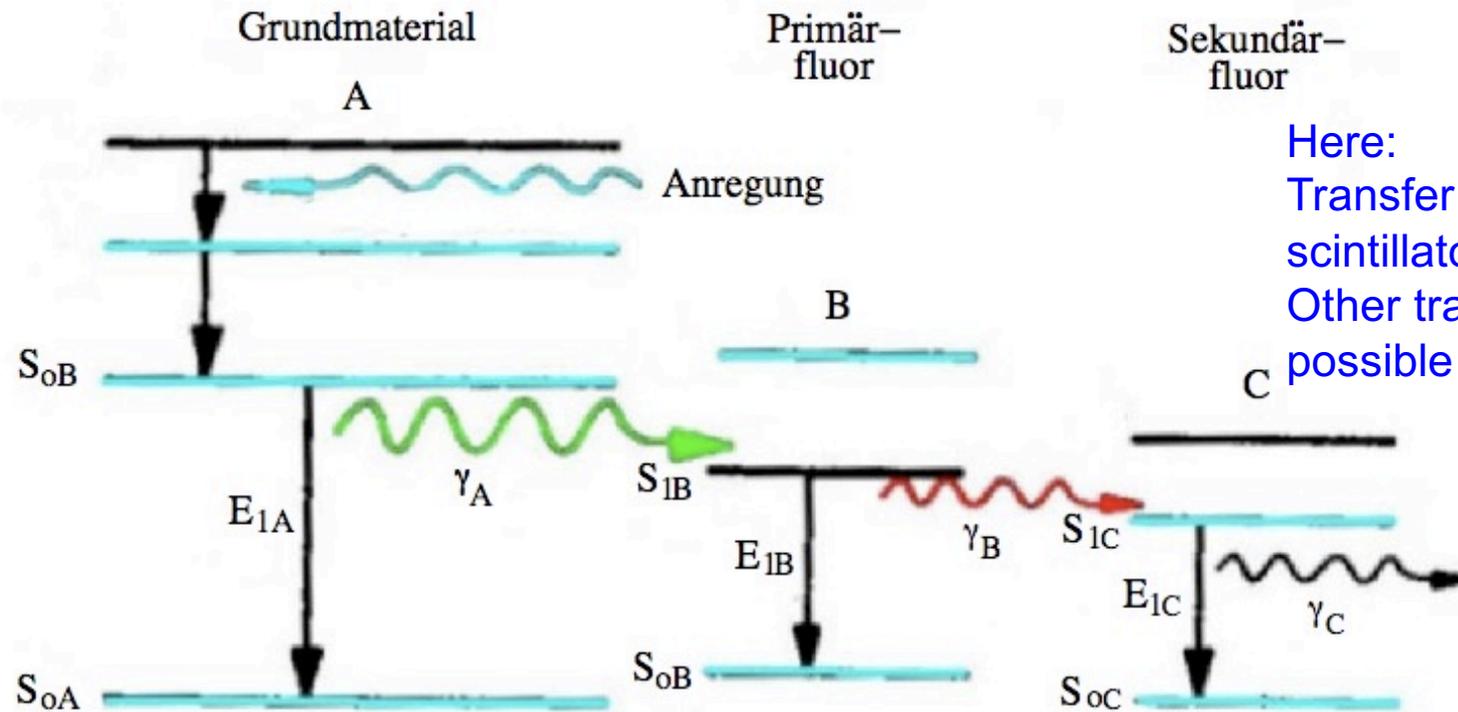
Less radiation hard

Trigger, hodoscope

Charged particles, neutrons

Multicomponent scintillator

Combine different materials to optimise light yield of scintillator
 Avoid identical absorption and emission levels



Here:
 Transfer to primary scintillator by radiation
 Other transfer mechanisms possible see literature

Requirements to additional component(s):

- Good solvability in ground material
- large fluorescence yield
- Absorption edge of component = Emission edge of ground material

Detectors based on semi-conduction

Employed in: High precision gamma spectroscopy
Measurement of charged particles with $E < 1 \text{ MeV}$

Vertex finding, I.e. determining the interaction
of a high energy reaction ...

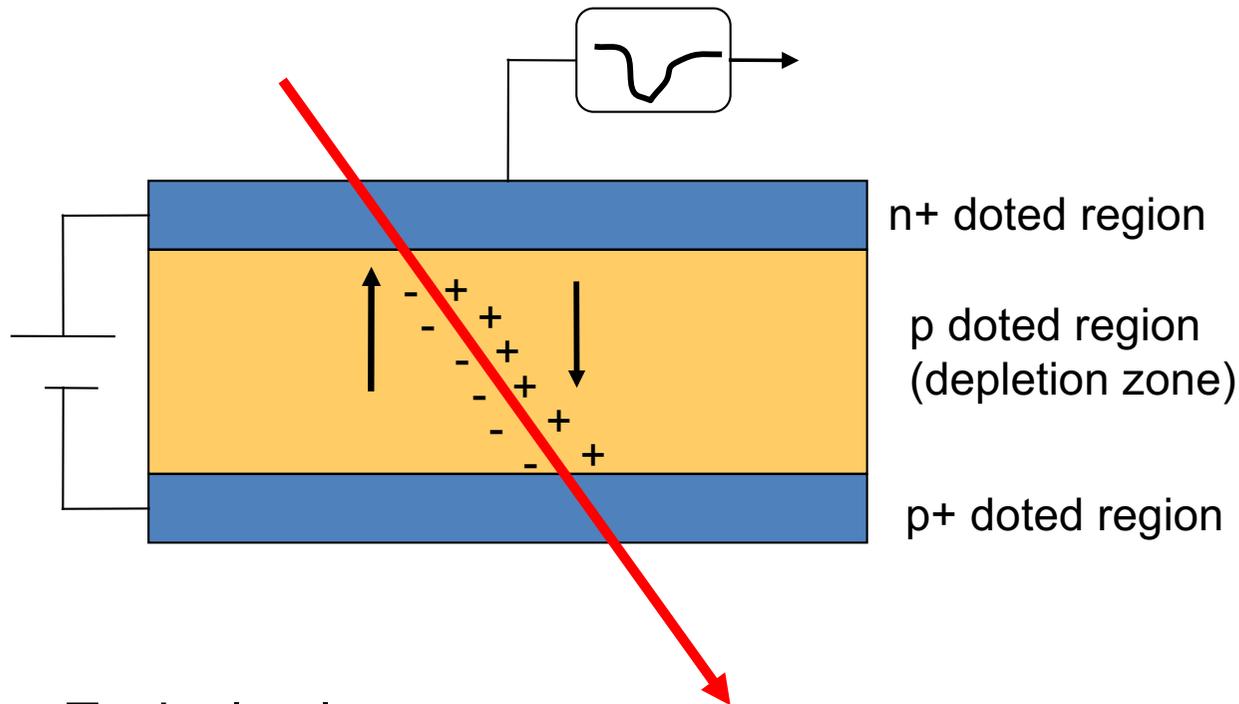
... but also in modern calorimeters

Takes relatively small energy deposition to create a signal

Comparison: $O(100 \text{ eV})$ to create a γ -quant in a scintillator
 3.6 eV to create a electron-hole pair in silicon

Principle of particle detection

Base material e.g. Si
 doted with e.g. As → n-doted (Donator)
 B → p-doted (Acceptor)



Typical values:

Dotation $N_D = 10^{12} \text{ cm}^{-3}$, $N_A = 10^{16} \text{ cm}^{-3}$

Extension of depletion zone $300 \mu\text{m}$

Specific resistance of depletion zone $10 \text{ k}\Omega\text{m}$

Ionization of the detector material - Bethe Bloch

Charge collection in an electrical field

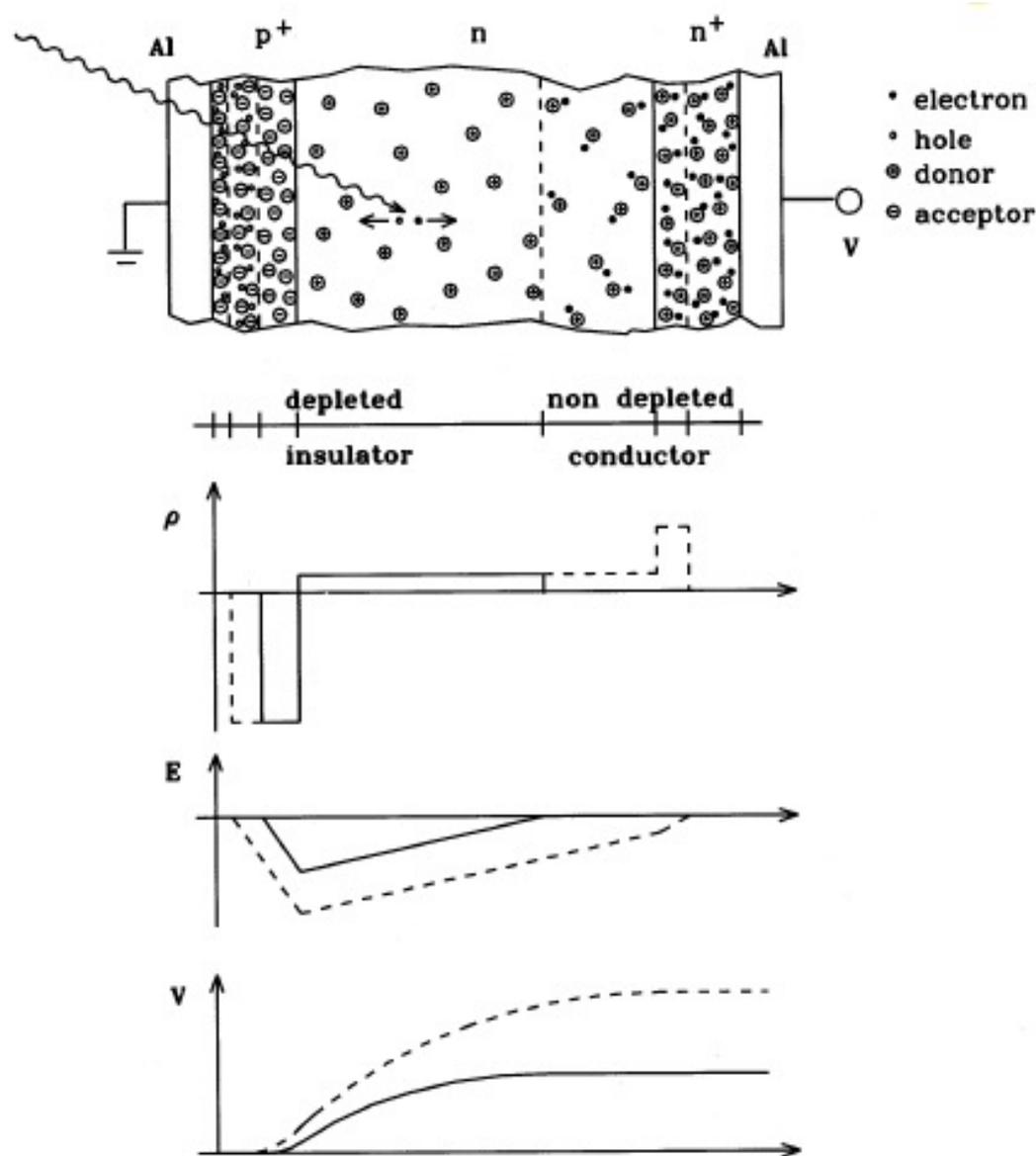
(E-Field extends over depletion zone, capacitance)

Electronic amplification and measurement of the signal

Number of charges is proportional to deposited energy

Segmentation of electrodes allows for high spatial resolution

pn-transition in reverse biasing mode



- Semiconducting detectors based in pn-transition which is connected in reverse-biasing

- E-Field is given by Poissonian Equation

$$\frac{d^2\phi}{dx^2} = \frac{e}{\epsilon\epsilon_0} (N_A - N_D + x_p - x_n)$$

N_A = Acceptor Concentr.

N_D = Donator Concentr.

x_p = Thickness of depletion region p+-side

x_n = Thickness of depletion region n-side

Linear in region of depletion zone

- For a highly doted p type layer on a n-type substrate the total thickness of the depletion zone is given by

$$x_n + x_p \approx \sqrt{\frac{2\epsilon\epsilon_0 V}{eN_D}} \quad V = \text{Bias Voltage}$$

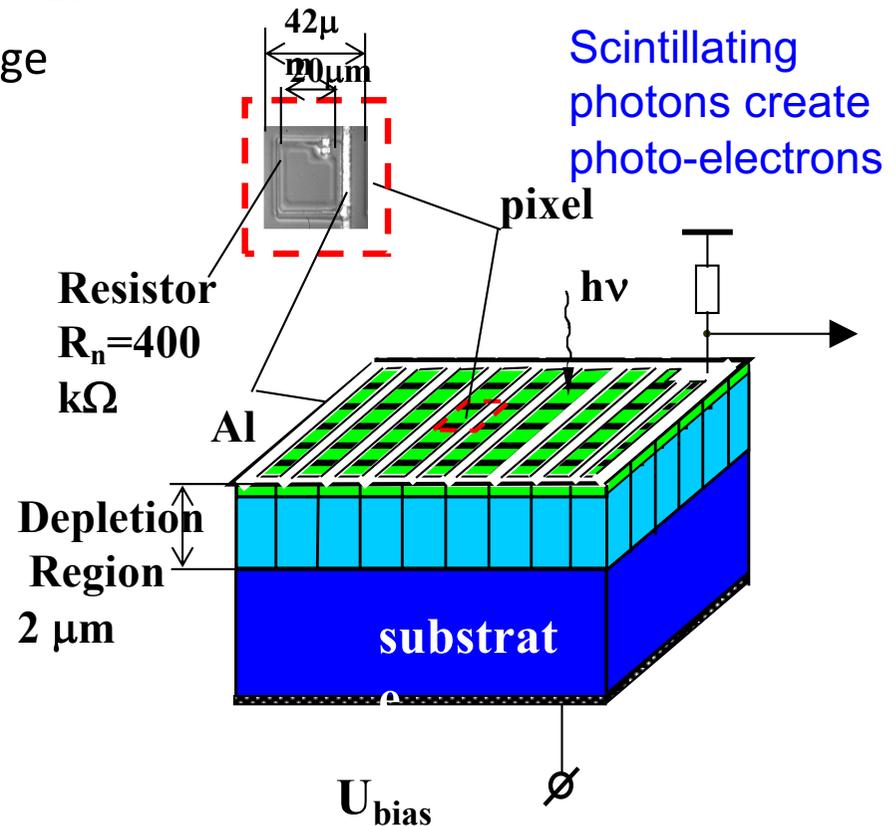
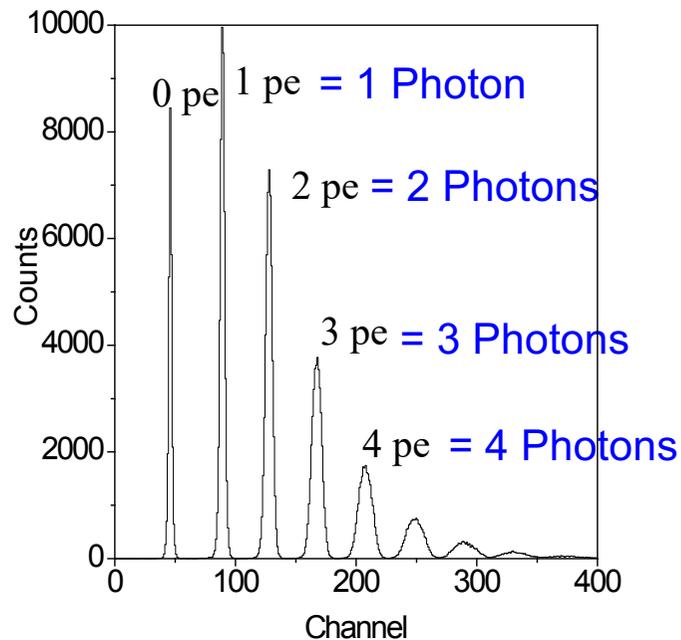
- Dark current by thermal fluctuations

Silicon photomultipliers

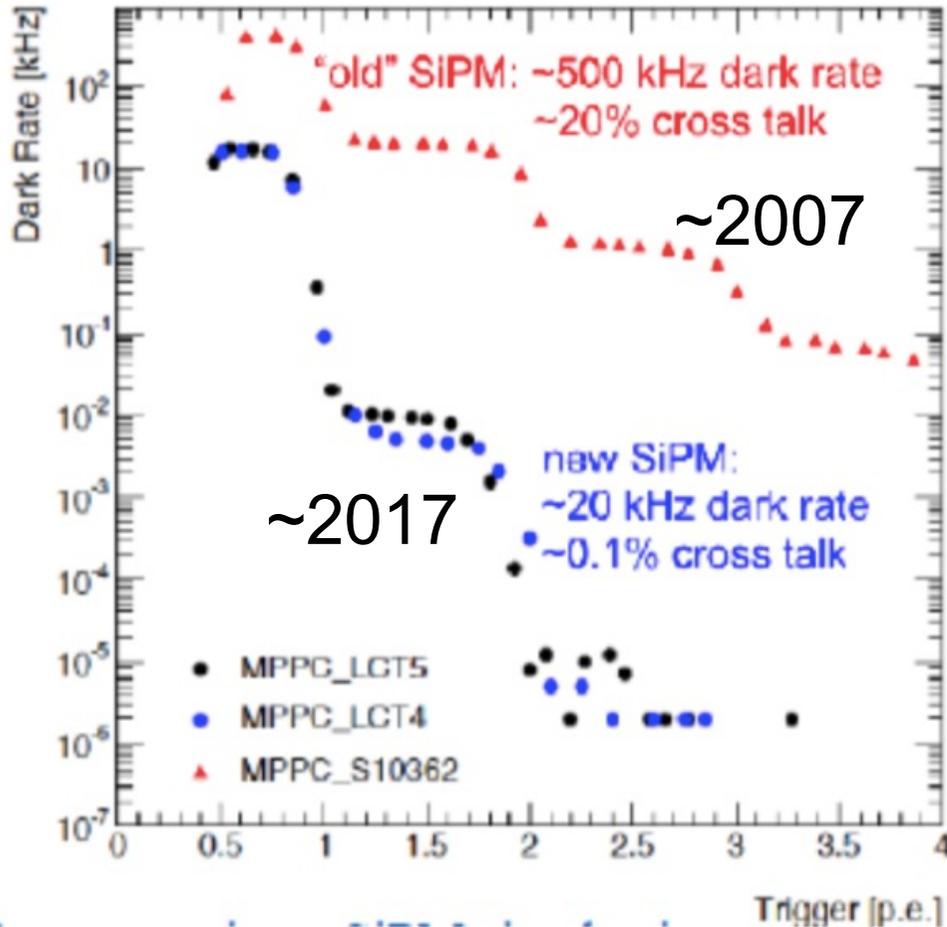
- A pixelated solid state Geiger counter (semi-conducting)
 - 1000 pixels on 1mm²
 - Gain 10**6, efficiency 10..15%
 - At 50 V typical bias voltage

Single photon signals

Signal - analog sum

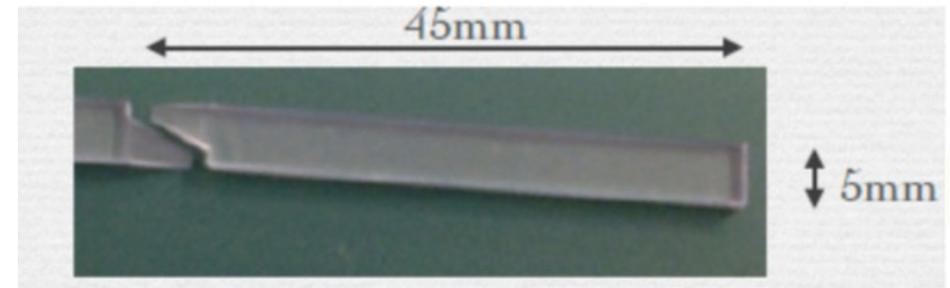


Silicon photomultipliers cnt'd

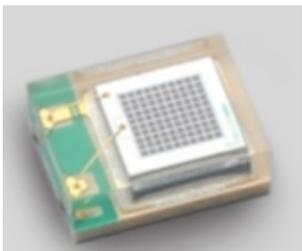


Silicon photomultipliers have many applications Inside and outside of particle physics

- Calorimeters for future e⁺e⁻ colliders
 - Tile Hcal, Dual readout,
 - Scintillator Ecal



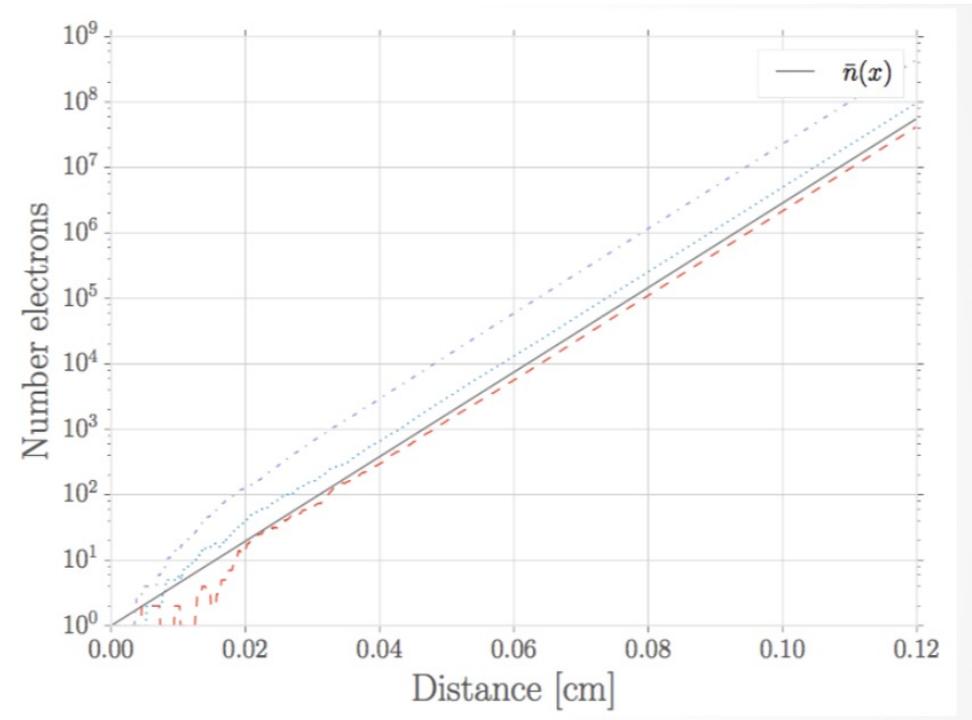
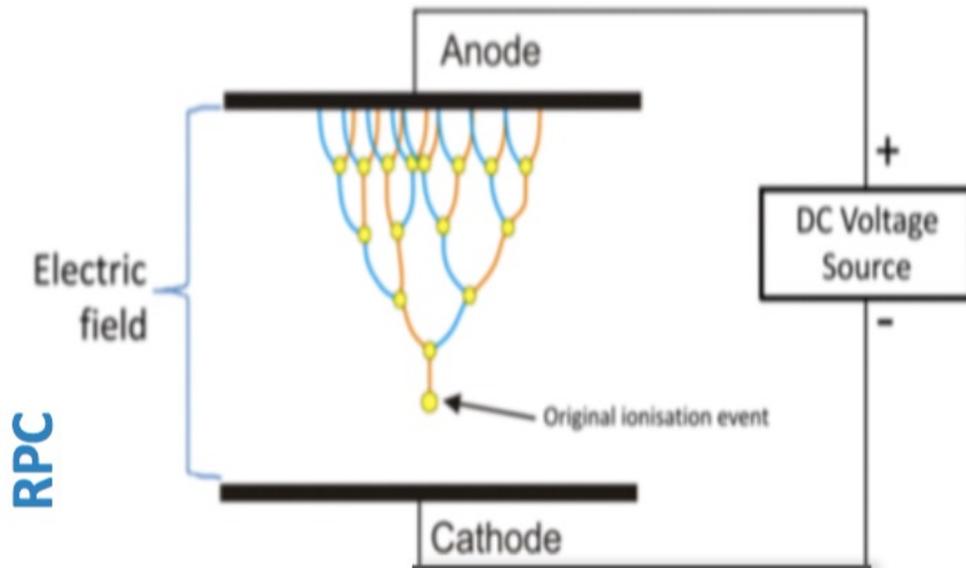
- HL-LHC Calorimeters
- Medical applications
 - e.g. Endoscopy



Huge step in quality of SiPM in last decade

- ~Since 2003 MePHI/Pulsar (RU)
- ~Since 2006 Hamamatsu
- Recently Chinese producers

RPC = Resistive Plate Chamber



D. Boumediene

- **Primary Ionization** in gas volume
- Acceleration in strong electric field (typically 5-10 kV between cathode and anode)
- ⇒ Lots of secondary ionisation
- ⇒ Measurable charge

Why Resistive Plate Chambers

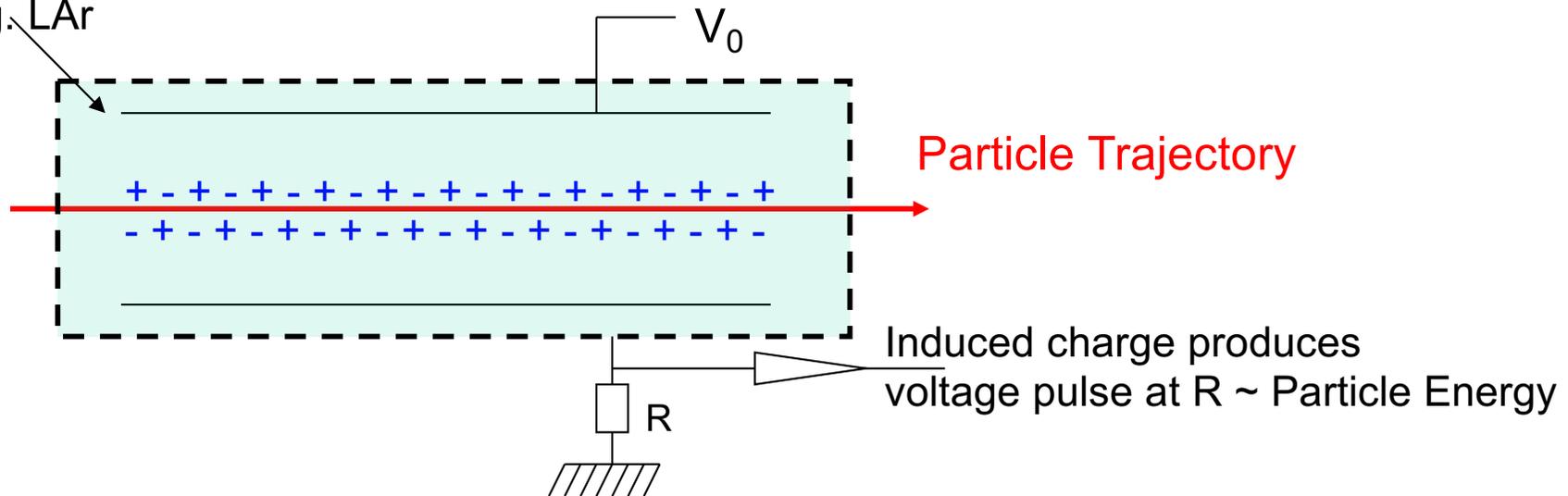
- High Efficiency
 - Linearity
 - Low background
 - Well contained avalanches
- energy resolution
- fine granularity

Requires

- Careful choice of resistive material (typically glass with resistive coating)
- Control of the gas → maintain avalanche mode, avoid saturation

Basic Principle: Charged particle ionizes liquid gas
 embedded in an electrical field

Cell filled with Liquid Gas
 e.g. LAr



Collection of Electrons at Anode: $v_{D,e^-} = 4.5 \text{ mm}/\mu\text{s}$ in LAr

$$v_{D,\text{Ion}} = 10^4 * v_{D,e^-}$$

Liquid Noble gases have relatively small X_0 , $I_{\text{int}} \Rightarrow$ compact detectors

Liquid Noble Gases have small electronegativity

i.e. no desire to capture drifting electrons since all atomic shells are filled

Ionizing particle (electron) creates line charge in Noble Gas

Current induced at Anode: $I_{lin}(t) = N_e \cdot e \frac{1}{t_D^2} (t_D - t) \quad t_D = d_{gap}/v_D$

Charge collected after t_D : $Q_0^{lin} = \int_0^{t_D} I_{lin}(t) dt = \int_0^{t_D} N_e e \frac{1}{t_D^2} (t_D - t) dt = \frac{1}{2} N_e e$

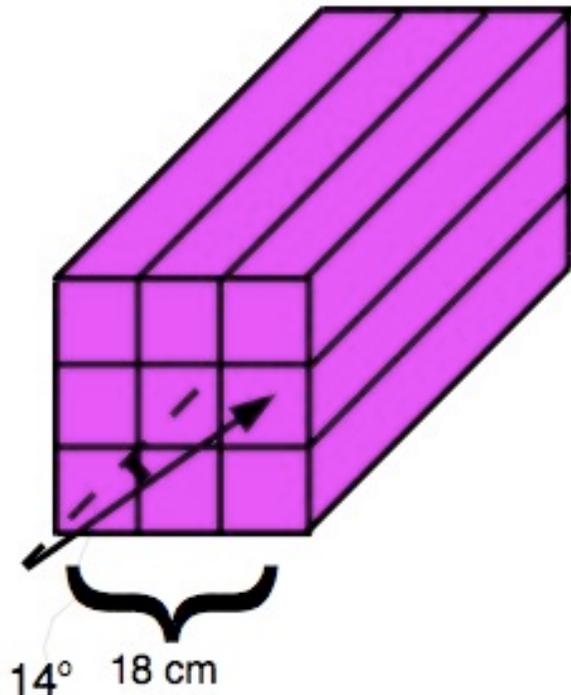
Strongly ionizing particle with low energy creates point charge

Current induced at Anode: $I_p = \frac{N_e e v_D}{d_p} = const. \quad d_p = \text{Point of creation of point charge}$

Charge collected after t_D : $Q_0^p(t) = N_e e$

Subdivision of Calorimeters

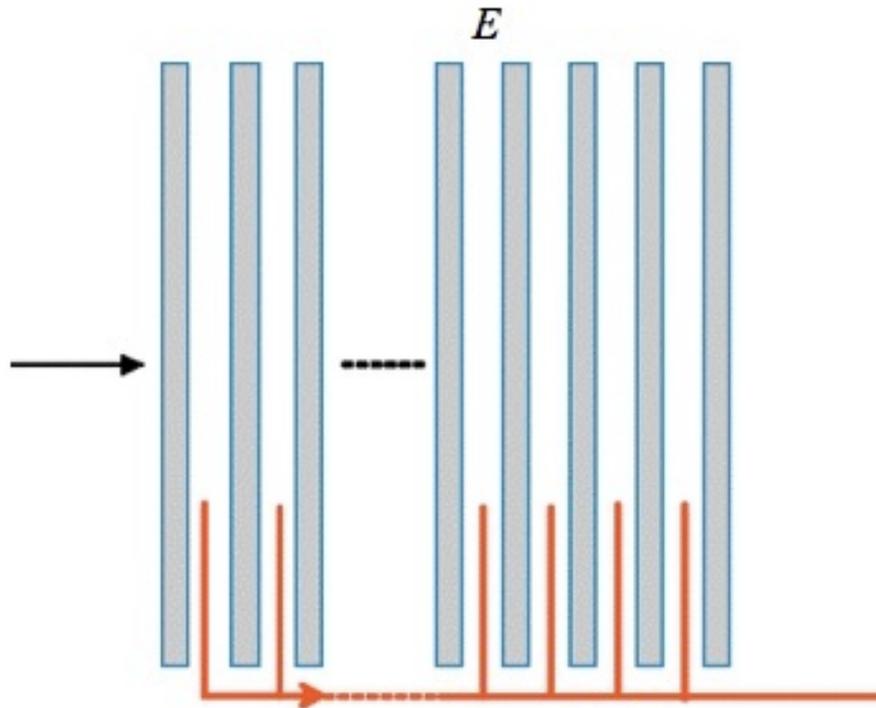
A Calorimeter is a block of Matter



Typically it is subdivided into smaller Units called calorimeter cells

- The subdivision is not necessary for the energy measurement
... and even not really desired to keep highest Precision
→ **Homogeneous calorimeters**
- But subdivision usually provides important spatial information on impact points
→ Homogeneous calorimeters typically come in a « set of blocks »

Longitudinal Segmentation of a Calorimeter



Typically Calorimeters are subdivided longitudinally by alternating active and passive layers

‘Sandwich Calorimeter’

A suited twofold segmentation allows already for distinction between e,g and hadrons since $\lambda_{\text{int}} \gg X_0$

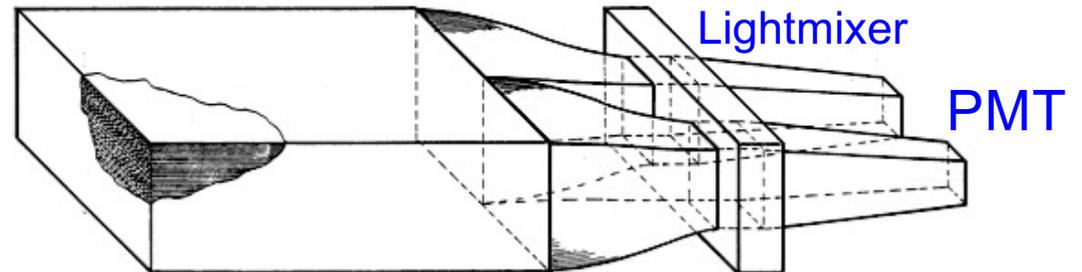
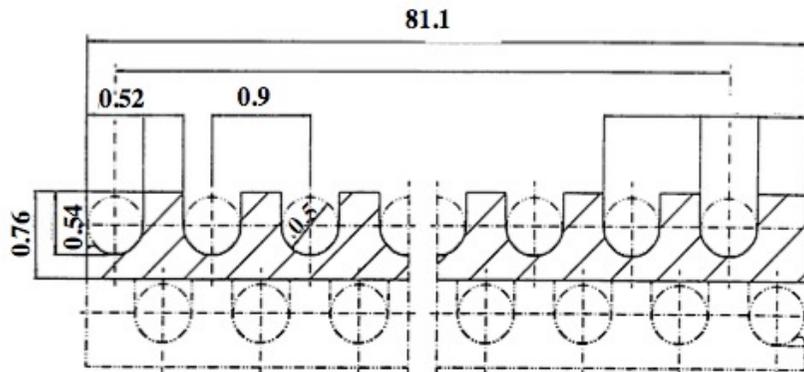
Typical for calorimeters with organic scintillators

longitudinal segmentation
technically difficult for Crystal Calorimeters
Future calorimeters try to introduce
Longitudinal segmentation

The SpaCal Technique

SpaCal – “Spaghetti Calorimeter”

Example H1 Experiment (1992-2007 @ HERA)
Lead/**Scintillating Fibre** Matrix



Scintillating Files
embedded in lead
Ratio Lead/Fibre 2.27:1

Scintillation Light
from fibres guided to
PMT by lightmixers

⇒ Quasi homogenous Structure