

# Understanding jet modifications at LHC

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Work in collaboration with Yacine Mehtar-Tani

HP2013, 4-8 Nov 2013, Stellenbosch, South Africa









# Central question

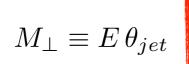
**Q:** how can one reconcile large and small angle (soft) modifications of jets in HIC?

**A:** separation of scales:  $Q_{jet} \gg Q_{med} \gg Q_0$ 

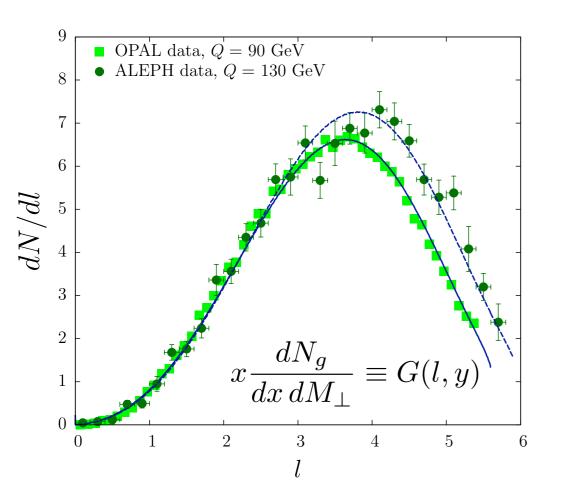
- vacuum: splitting via (quasi-)collinear evolution
- medium: branching & broadening

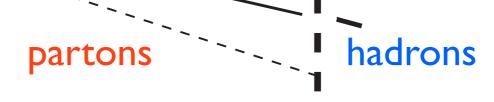
Simplifications: only glue; studying limiting case, useful for understanding bulk effects; no dynamical medium/geometry

# QCD jet in Vacuum $t_{hadr} \simeq \frac{k_{||}}{\Lambda_{QCD}^2}$



 $t_{form} \simeq \frac{k_{||}}{k_{\perp}^2}$ 

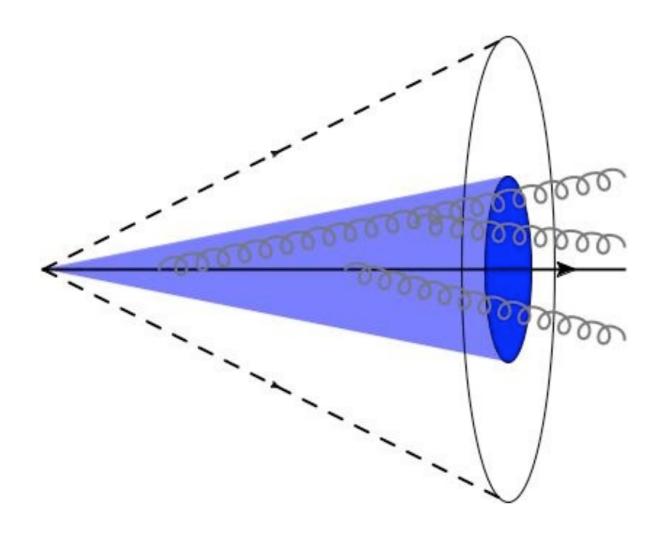




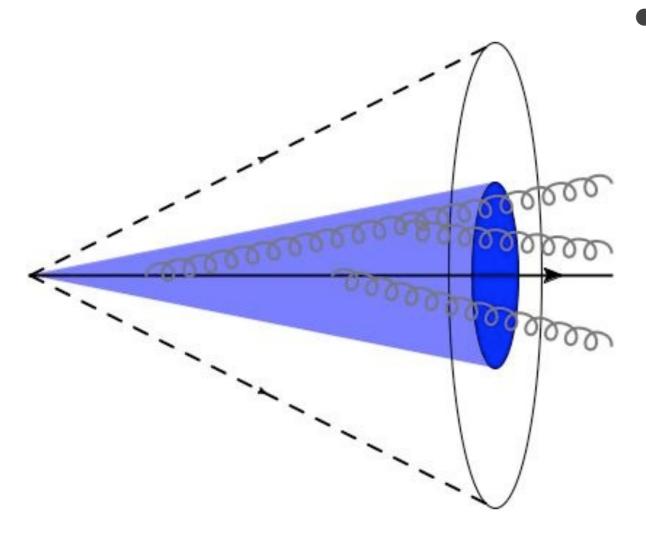
$$l = \ln(1/x)$$
  $y = \ln(xM_{\perp}/Q_0) \equiv Y - l$ 

- MLLA + LPHD (limiting spectrum  $Q_0 = \Lambda_{QCD}$ )
- resums double logs and single-log corrections
- perturbative jet scale  $M_{\perp}=Q=E\Theta_{jet}$
- color coherence ⇒ angular ordering (AO)

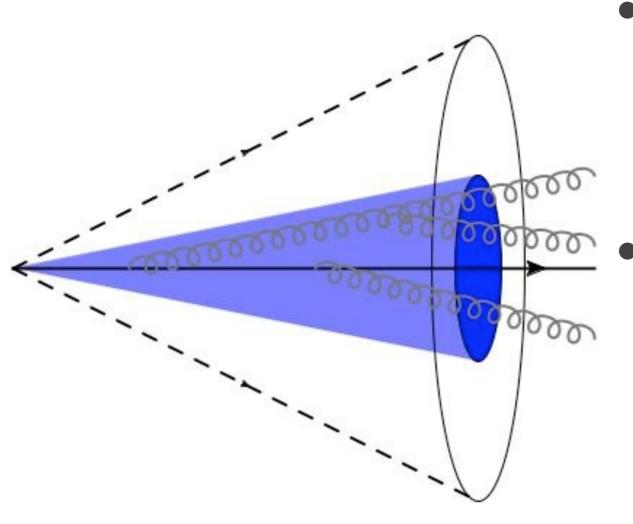
[Dokshitzer, Khoze, Mueller, Troyan, Kuraev, Fong, Webber...]



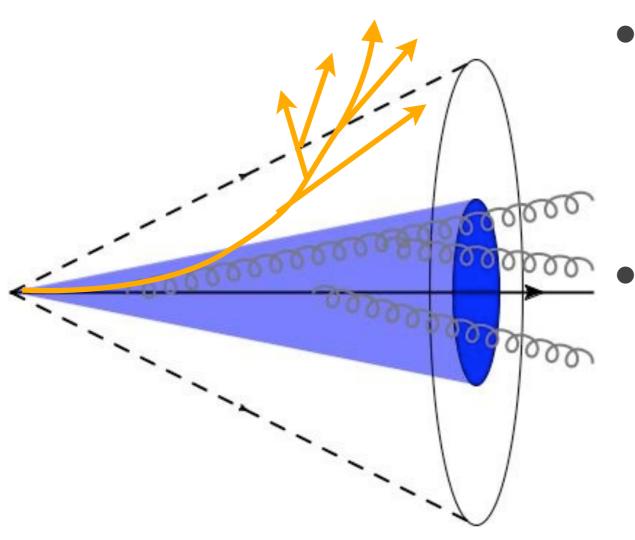




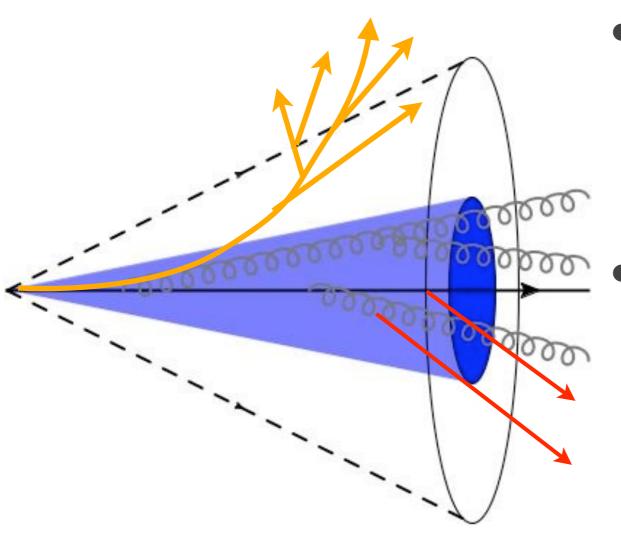
we assume jets at sufficiently high-p<sub>T</sub> are collimated - the medium resolves only the total charge (Q<sub>jet</sub>)≠0



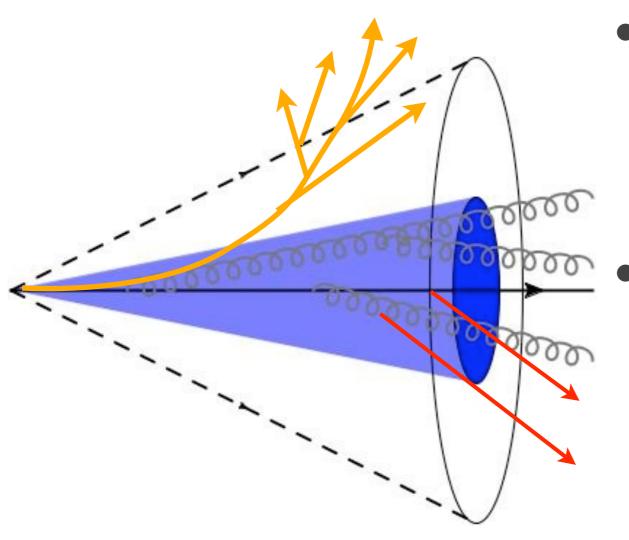
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- two main medium effects:



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  - ( $Q_{jet}$ ) induces **BDMPS radiation** :: onset of rapid branching & broadening



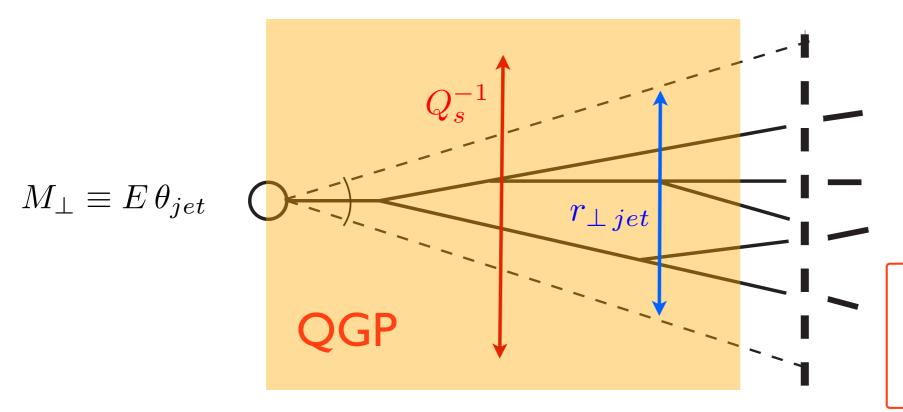
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How does this come about?

# QCD jet in medium



#### New scales:

$$M_{\perp} \equiv E \, \theta_{jet}$$

$$Q_0 \sim \Lambda_{\rm QCD}$$

$$Q_s \equiv \sqrt{\hat{q}L} \equiv m_D \sqrt{N_{\text{scat}}}$$
$$r_{\perp jet}^{-1} \equiv (\theta_{jet}L)^{-1}$$

Presently **no available theoretical framework** for describing the in-medium fragmentation :: working models (MC) or **limits!** 

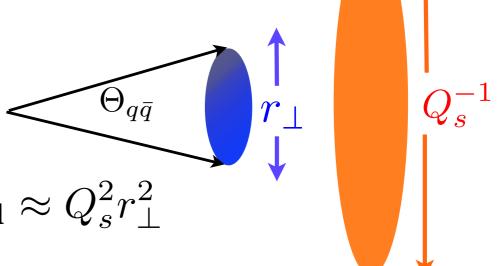
Mehtar-Tani, Salgado, KT 1009.2965; 1102.4317; 1112.5031; 1205.57397 Casalderrrey-Solana, Mehtar-Tani, Salgado, KT 1210.7765; Casalderrrey-Solana, Iancu 1105.1760

# Narrow jets

Analyzed in detail in the so-called antenna problem, the "dilute" regime

⇒ color transparency

1-(survival prob. for color coherence) =  $\Delta_{
m med} pprox Q_s^2 r_\perp^2$ 

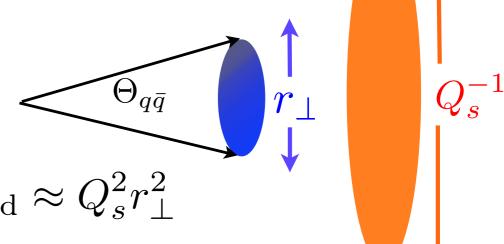


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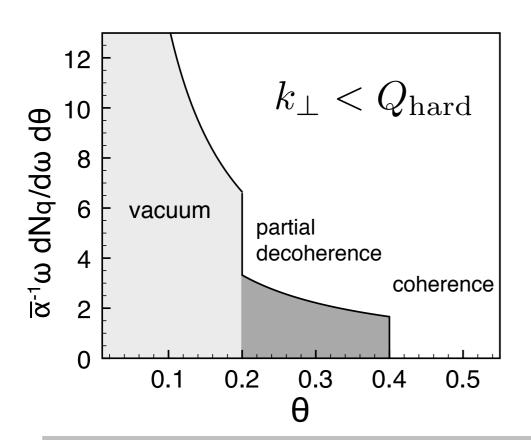
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$$dN_{q,\gamma^*}^{\text{tot}} = \frac{\alpha_s C_F}{\pi} \frac{d\omega}{\omega} \frac{\sin\theta}{1 - \cos\theta} \left[ \Theta(\cos\theta - \cos\theta_{q\bar{q}}) \right]$$

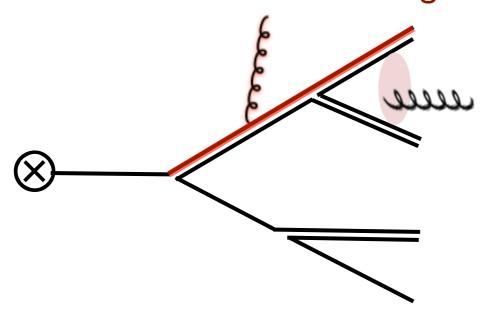
$$+ \Delta_{\text{med}} \Theta(\cos \theta_{q\bar{q}} - \cos \theta)$$

- geometrical separation!
- modifies MLLA @ the second splitting
  - shift of the humpbacked plateau!
- introduces the medium scale  $\lambda_2 = \ln Q_s/Q_0$

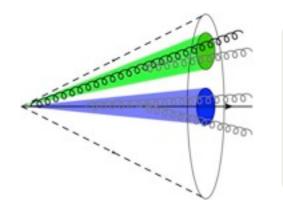
Mehtar-Tani, Salgado, KT 1009.2965; 1112.5031, Casalderrrey-Solana, Mehtar-Tani, Salgado, KT 1210.7765

### Factorization of energy loss

#### A "factorization" for leading medium-resolved subjet:



- separation in angles :: only the total charge radiates
- allows to separate the treatment of the two different processes
- interpretation á la AO
- genuine limit of QCD



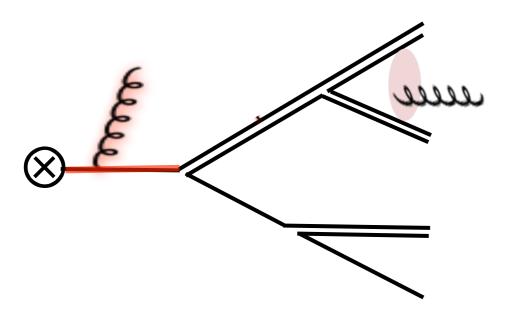
#### Fluctuations:

picture improved by including the possibility of resolving several subjets :: solving dynamical problem of decoherence!

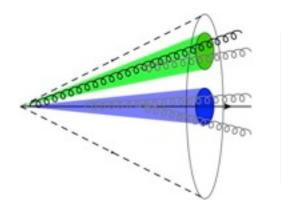


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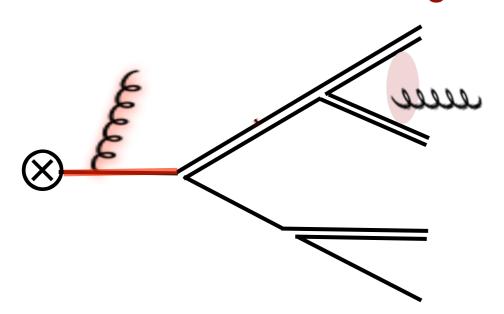
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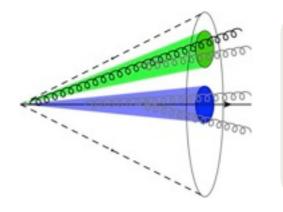


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jet produced with given 
$$=$$
  $p_T$ ,  $D_0(x) = \delta(1-x)$ 

total charge/ancestor particle lose energy

vacuum showering (with reduced energy) starts w/decoherence effects

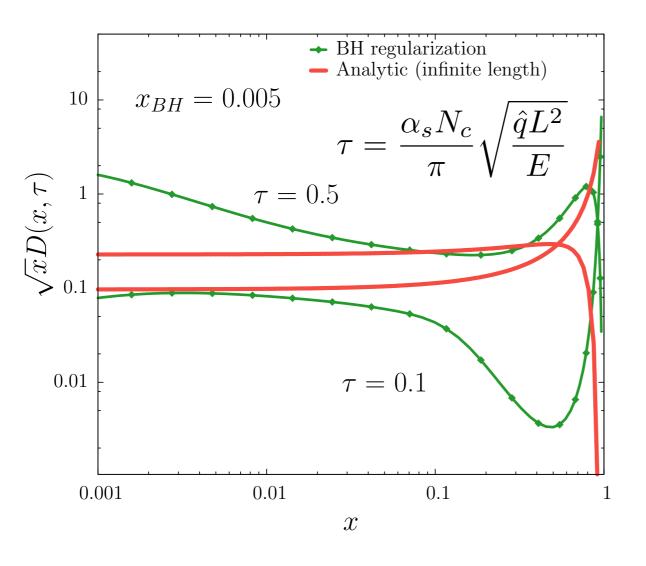


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### Evolution of med-gluons

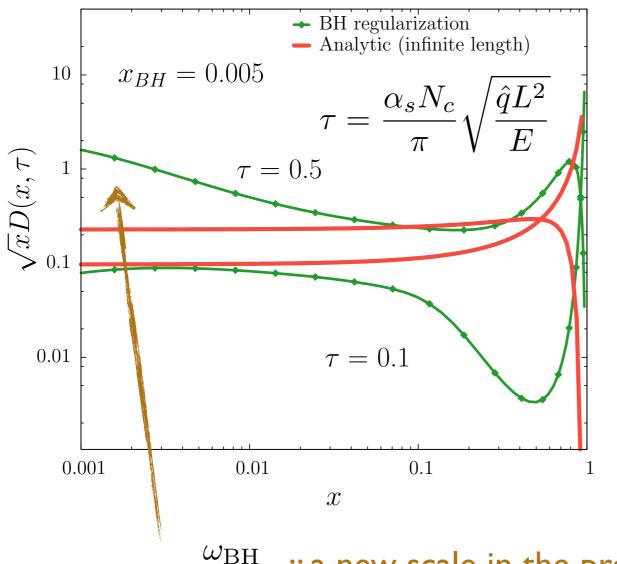


- probabilistic picture: evolution governed by rate equation
  - hard part :: similar to quenching weights (independent emissions)
  - soft part :: quasi-democratic branching (turbulence)
- generalizations
  - high energy jet:  $E > \omega_c$
  - infrared regularization (Bethe-Heitler cut-off energy)

Blaizot, Iancu, Mehtar-Tani arXiv:1301.6102 Talks by Y. Mehtar-Tani and E. Iancu



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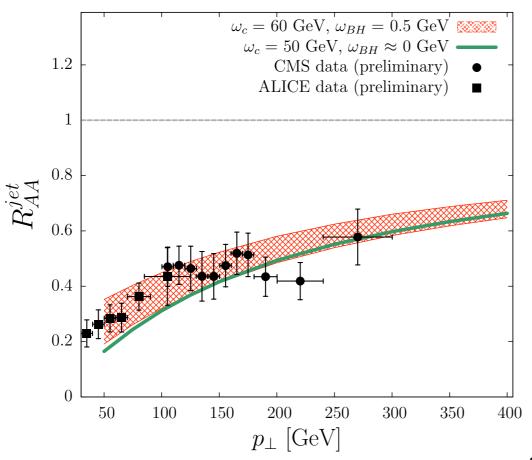
$$E_{
m BH} = rac{\omega_{
m BH}}{E}$$
 :: a new scale in the problem!

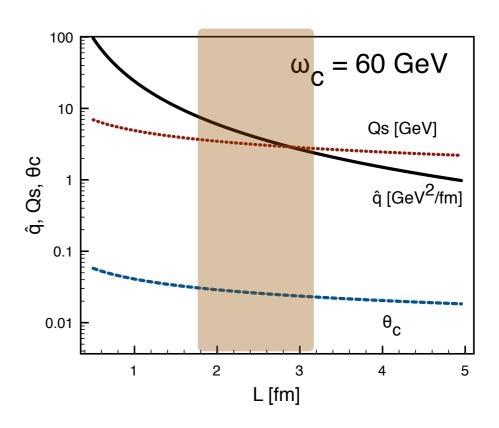
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# Jet suppression

#### Calculating quenching factor Q(p<sub>T</sub>) for "leading sub-jet"





- follows QW expectation  $\delta_{p_T} \sim \sqrt{p_T}!$  Low  $p_T$  sensitive to sub-leading resolved sujets!
- sensitivity to regularization prescription
- baseline consistency

L = 2-3 fm $\hat{q} = 6-2.5 \text{ GeV}^2/\text{fm}$ 

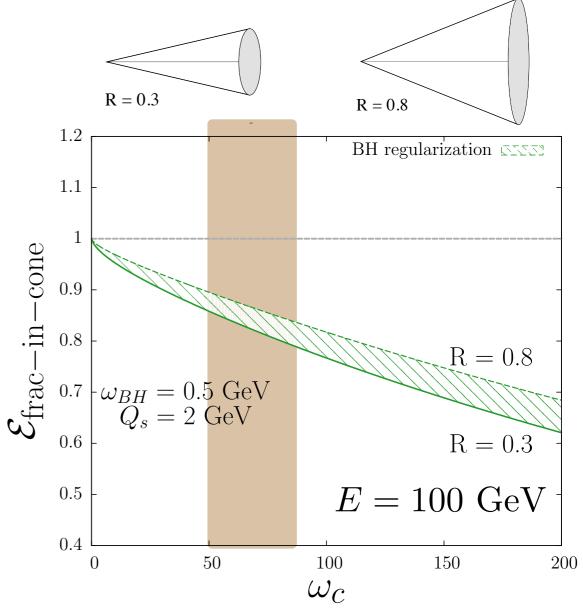


Application to dijet asymmetry

#### Average broadening ( $x\sim I$ , $\theta < \theta_c$ ):

$$D(x, \theta < \Theta_{jet}) = \int^{\Theta_{jet}} \frac{d^2 \mathbf{k}}{(2\pi)^2} \mathcal{P}(\mathbf{k}) D(x),$$
$$= \left[ 1 - \exp\left(-\frac{x^2 M_T^2}{Q_s^2}\right) \right] D(x)$$

- little energy is recovered up to large cone angles, R~0.8
- striking effect due to multiple branching + broadening
- sensitive to regularization prescription (Bethe-Heitler regime)!



Full-fledged evolution for double-differential distribution, see talk by Y. Mehtar-Tani

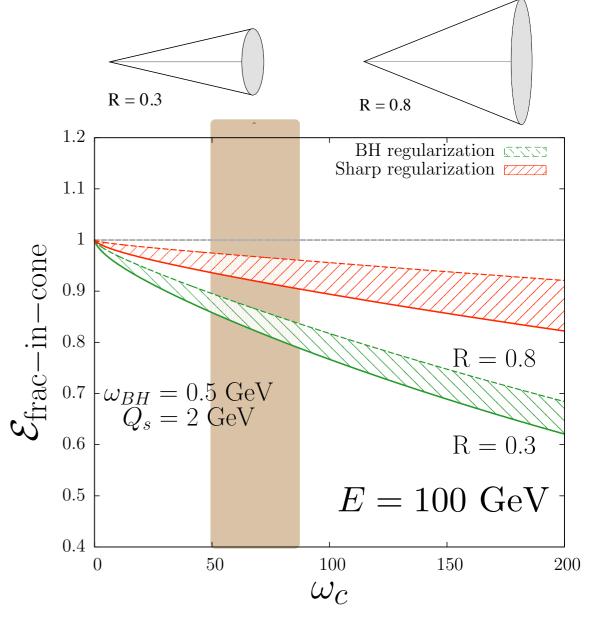


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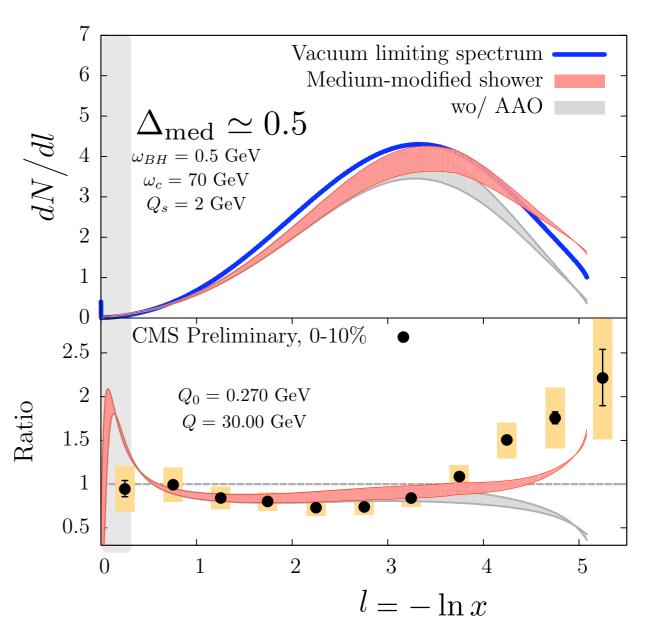
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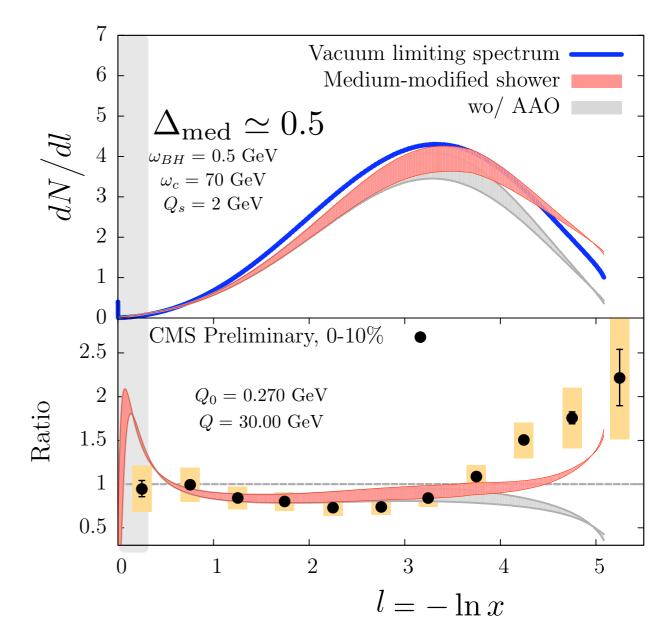
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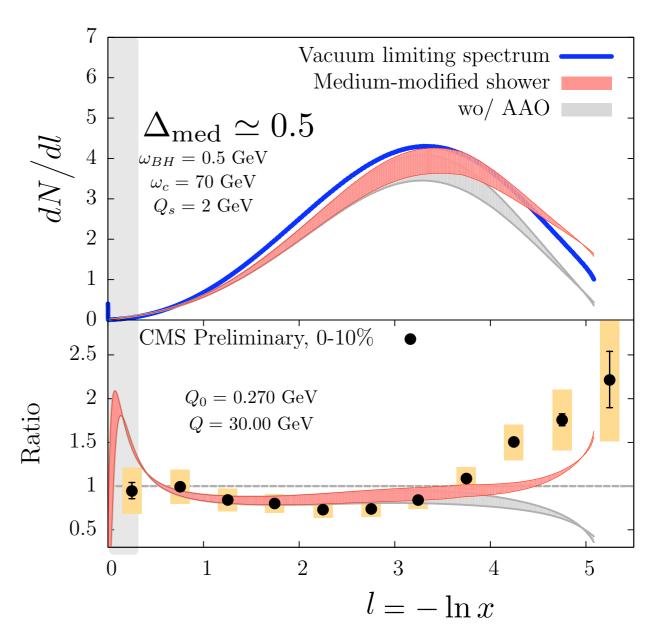


#### Putting it all together:

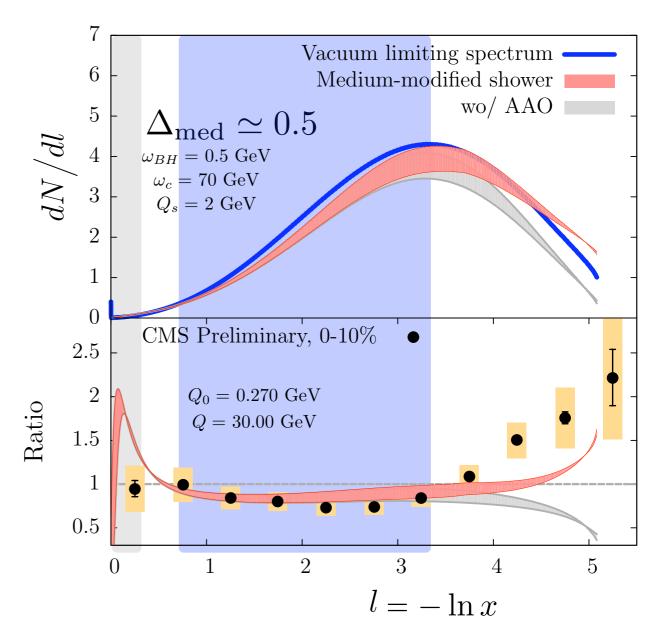
MLLA distribution for pp vacuum



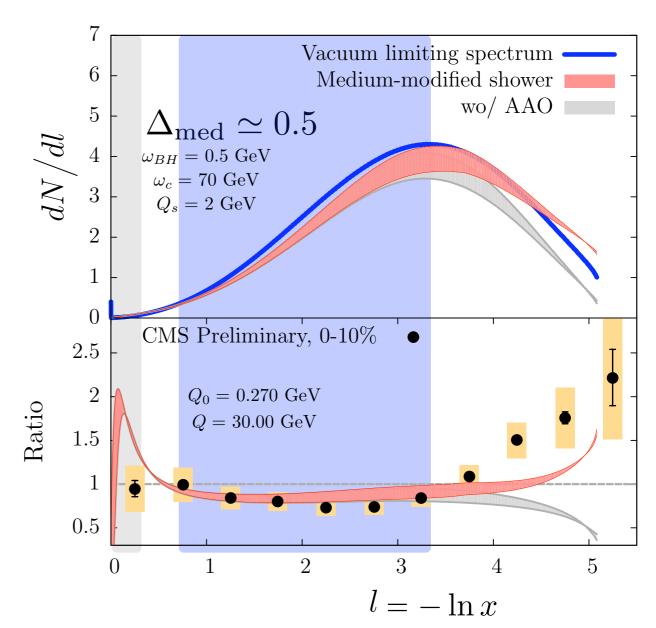
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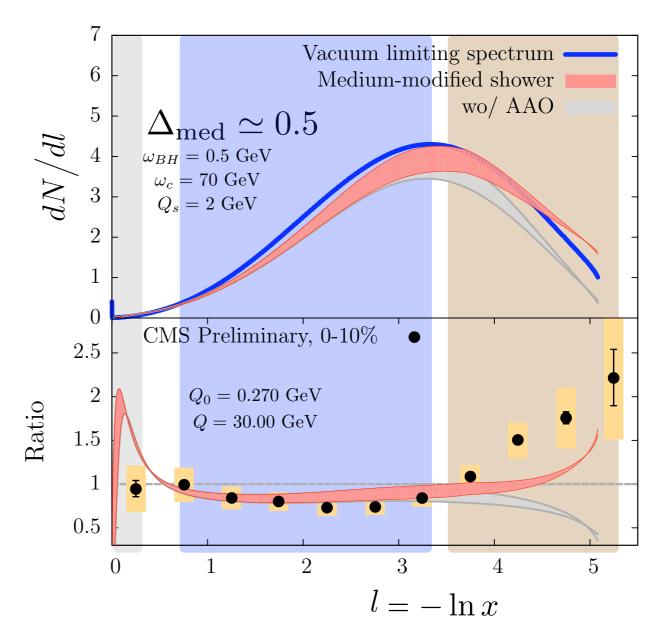


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- MLLA distribution for pp vacuum
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- small angle radiation due to AAO/ decoherence: novel ingredient
  - soft gluons, produced with large formation time :: not affected by broadening
  - responsible for enhancement at low I = shift of humpbacked plateau!



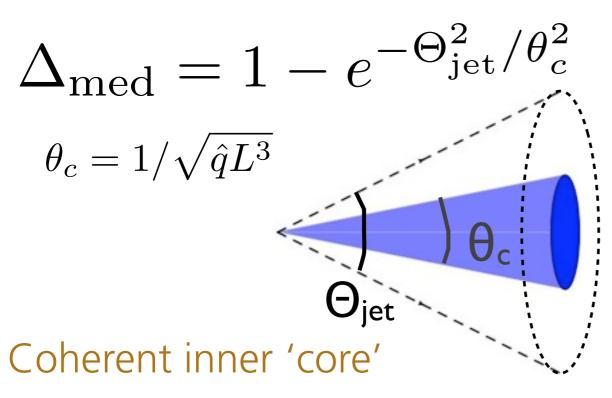


# Summary

- jet quenching is a powerful tool to access properties of the hot and dense QGP in AA
  - resolved sub-jets are a consequence of color transparency (pQCD)
- gives rise to simple & intuitive picture for jet modifications at high p<sub>T</sub>
  - separation of processes: medium cascade (large angles) & partial decoherence (small angles)
- consistent description of three compelling observables
- many improvements in the pipeline: other observables, fluctuations

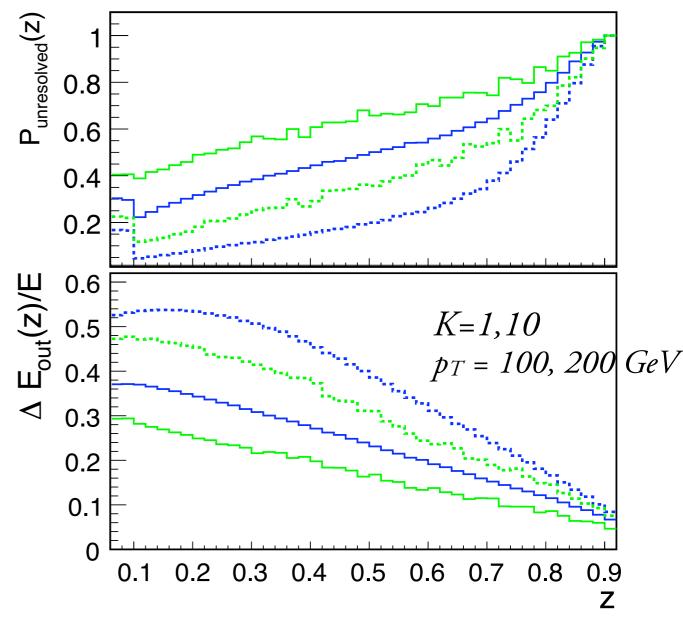


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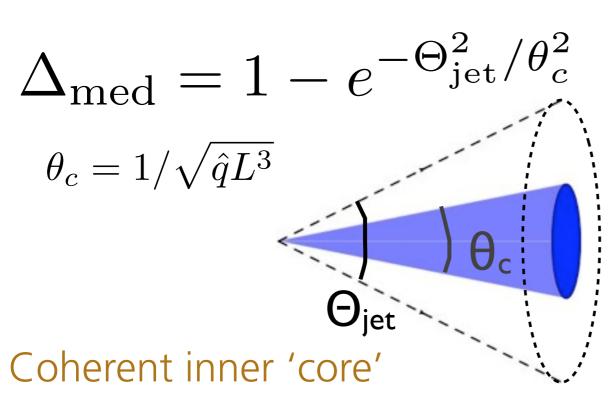
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- modes with  $\lambda_{\perp} < Q_s^{-1} (k_{\perp} > Q_s)$
- $t_f < L \rightarrow Q_s^2 L < \omega < E$
- the core loses energy coherently

Casalderrrey-Solana, Mehtar-Tani, Salgado, KT 1210.7765



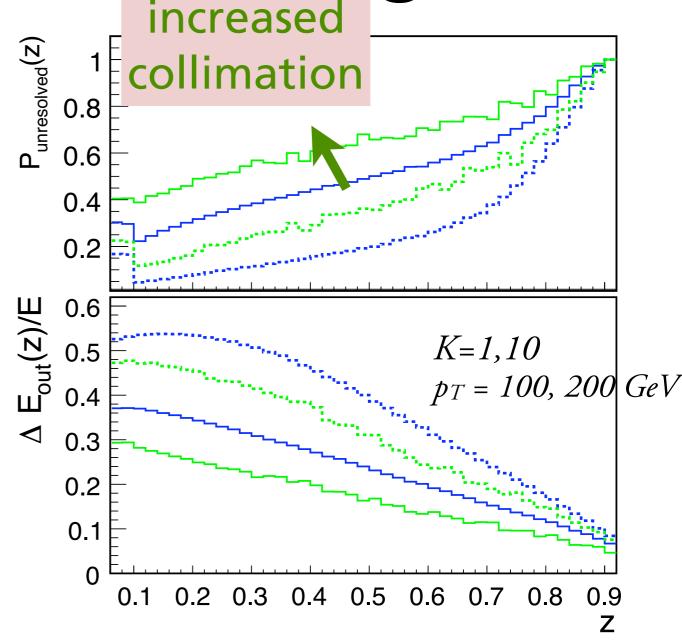
:: probability of only finding one leading subjet in the presence of a fragment with mom frac z





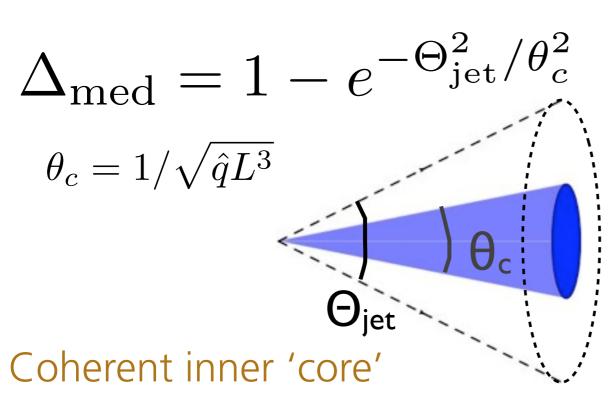
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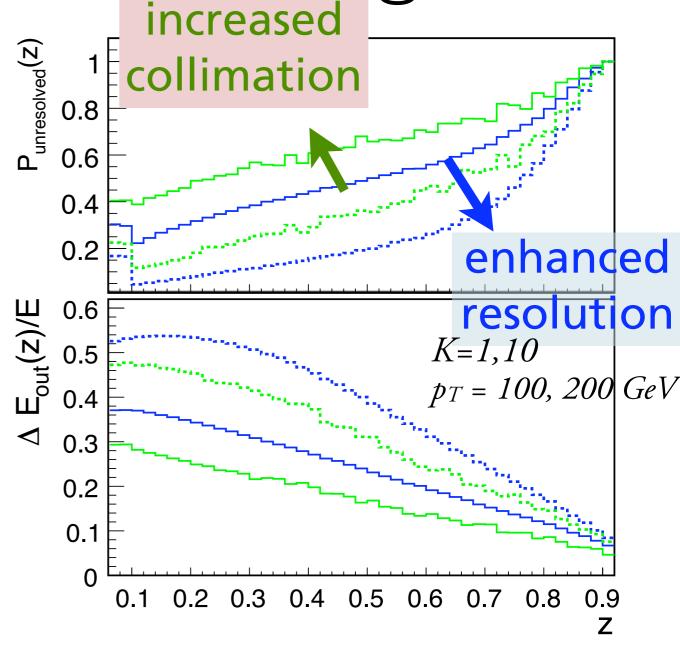
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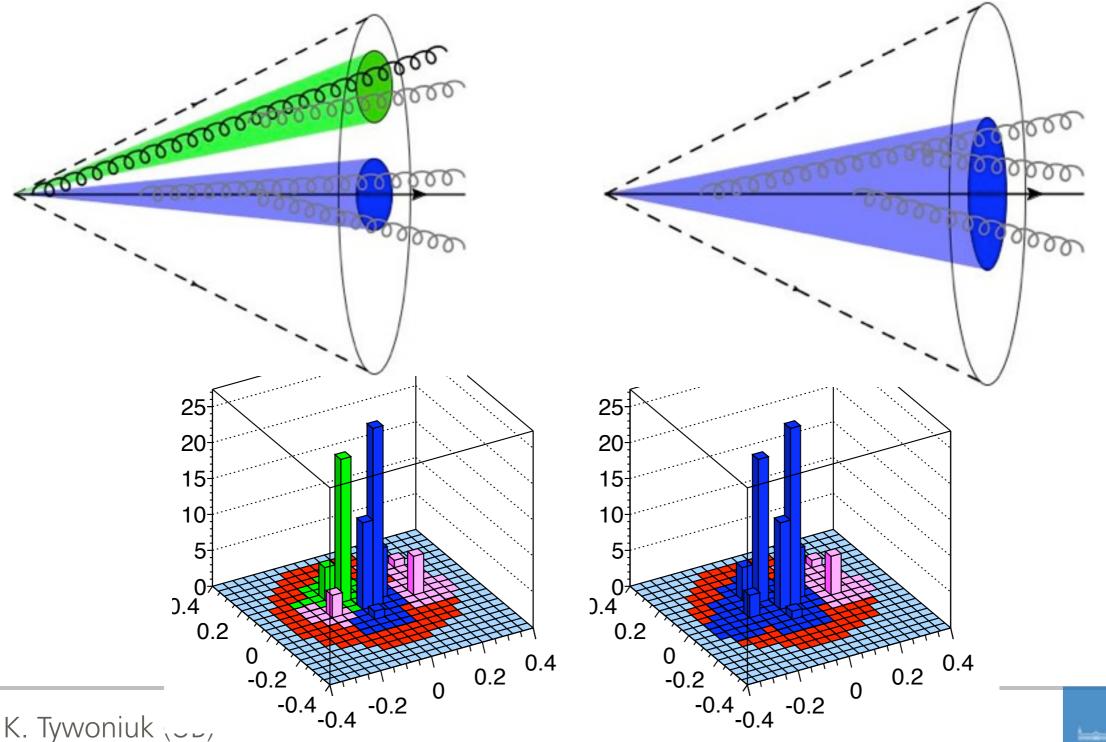
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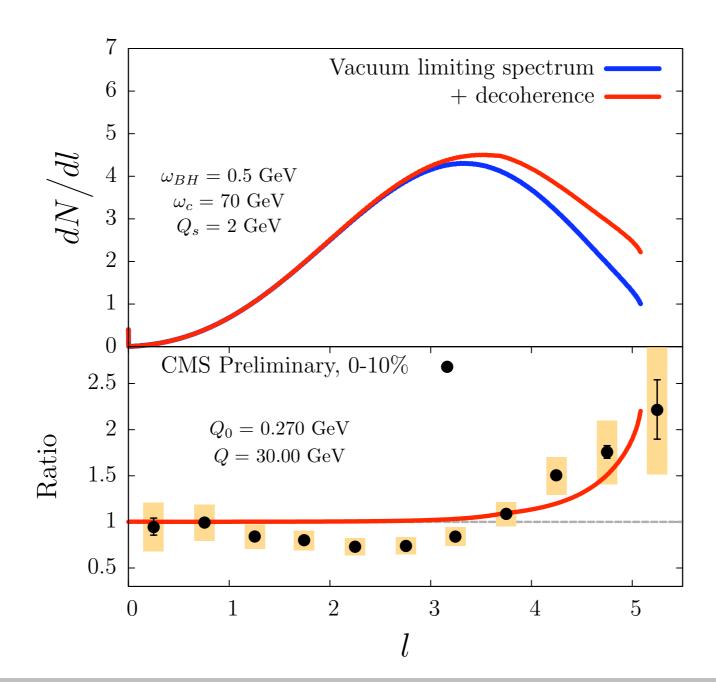


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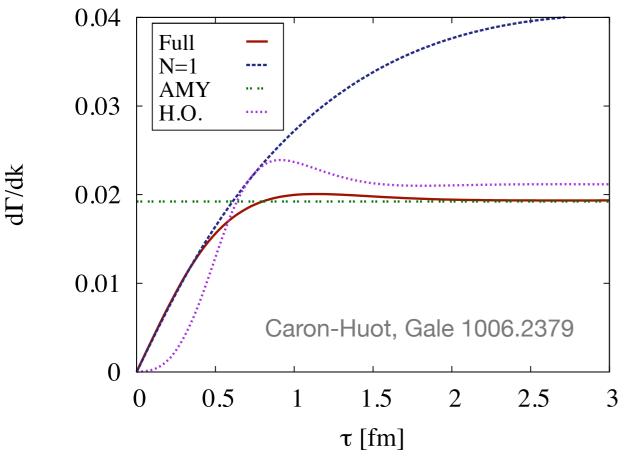




# Only decoherence



### Finite-size effects



- including finite-size effects in the 'harmonic oscillator' approximation
- could be improved by including the full rate or interpolate between N=I and HO

$$z\frac{dI^{\text{ind}}}{dz} = \frac{\alpha_s}{2\pi} z P_{gg}(z) \ln \left| \cos(1+i) \sqrt{\frac{\hat{q}_{\text{eff}} L^2}{z(1-z)p^+}} \right|$$

$$k_{\rm br}^2 = \sqrt{z(1-z)p_0^+ \hat{q}_{\rm eff}}$$

$$k_{\rm br}^2 = \sqrt{z(1-z)p_0^+ \hat{q}_{\rm eff}}$$
  $\hat{q}_{\rm eff} = \hat{q} \left[ (1-z)N_c - zC_R \right]$ 

$$\Rightarrow z \frac{dI^{\text{ind}}}{dz \, dL}$$



# Regularization

$$\frac{d^2 \mathcal{P}}{dz d\tau} = \frac{1}{2} \frac{\mathcal{F}(z, x; \tau)}{\sqrt{x}}$$

$$x_c = \omega_c / p_0^+ \qquad \tau \equiv \bar{\alpha} \sqrt{2x_c}$$

$$\mathcal{F}(z, x; \tau) = \tilde{P}_{gg}(z) \mathcal{K}(z) \frac{\sinh \sigma(z, x; \tau) - \sin \sigma(z, x; \tau)}{\cosh \sigma(z, x; \tau) + \cos \sigma(z, x; \tau)}$$

$$\sigma(z, x; \tau) = \frac{\mathcal{K}(z)}{\bar{\alpha} \sqrt{x}} \tau$$

$$t_{
m br} \sim \lambda_{
m mfp} \Rightarrow \omega_{
m BH} = \lambda_{
m mfp}^2 \hat{q}$$
  $\sim m_D^2 \lambda_{
m mfp}$   $k_\perp \sim k_{
m br} < \omega$ 

$$k_{\perp} \sim k_{\rm br} < \omega$$

$$\downarrow \omega < \hat{q}^{1/3}$$

$$\lambda_{\rm mfp} > 1/m_D \Rightarrow \omega_{\rm BH} > \hat{q}^{1/3}$$

 $\tilde{P}_{gg}(z) = \frac{(1-z(1-z))^2}{[z(1-z)]_c}$ 

 $\mathcal{K}(z) = \sqrt{\frac{1 - z(1 - z)}{[z(1 - z)]_{\epsilon_2}}}$ 

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$$t_{\rm br} \sim \lambda_{\rm mfp} \Rightarrow \omega_{\rm BH} = \lambda_{\rm mfp}^2 \hat{q}$$
  
  $\sim m_D^2 \lambda_{\rm mfp}$ 

$$\lambda_{\rm mfp} > 1/m_D \Rightarrow \omega_{\rm BH} > \hat{q}^{1/3}$$

reg1: 
$$\frac{1}{(1-z)_{\epsilon}} = \frac{\xi(\xi-x)}{(\xi-x+x_{\rm BH})^2}$$
 'strong'

reg2: 
$$\frac{1}{(1-z)_{\epsilon}} = \frac{\xi}{\xi - x + x_{\rm BH}}$$
 'smooth' 
$$x_{\rm BH} = \omega_{\rm BH}/E$$
  $\Rightarrow$  apply it only to the medium  $\bowtie$