

# Fission of heaviest nuclei

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A of Fragments

#### **General opinion**:

The competition between symmetric and asymmetric fission is related to shell effects in deformed fissioning nucleus

U.Brosa, S.Grossmann, A.Muller, Phys.Rep.197(1990)167

**Exper.** data for high-energy (60MeV) neutroninduced fission of <sup>238</sup>U shows the conservation of asymmetric mass distribution, even though shell effects are supposed to be damped.

#### I.V.Ryzhov et al., PRC83(2011) 054603



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Exper. asymmetric mass yields result in fission of highly excited (~60 MeV) nuclei 232Th, 237-240U, 239-242Np, 241-244Pu, produced in transfer reactions 18O+232Th,238U,237Np !

K.Hirose PRL119(17)222501; PLB761(16)125

**232Th(n,f)** V.Simukhin NDS119(14)331; J.King EPJA53(17)238

Conservation of asymmetric mass distribution, even though shell effects are supposed to be damped !

## Revolution in fission ?!

## <u>Statistical Scission-point Model</u> or <u>Cluster model of fission</u>

 Scission-point model relies on assumption that the statistical equilibrium is established at scission where the observable characteristics of fission are formed.

 Scission system - two well-defined fission fragments in contact [dinuclear system=DNS].

#### <u>Model</u>

Coordinates  $Z_i$ ,  $A_i$ ,  $\beta_i$  (I = L, H), R completely describe the geometry of system



<u>Total Potential Energy</u>:

$$U(A_i, Z_i, \beta_i, R)$$

$$= U_L^{\text{LD}}(A_L, Z_L, \beta_L) + \delta U_L^{\text{shell}}(A_L, Z_L, \beta_L, E_H^*)$$

$$+ U_H^{\text{LD}}(A_H, Z_H, \beta_H) + \delta U_H^{\text{shell}}(A_H, Z_H, \beta_H, E_H^*)$$

$$+ V^C(A_i, Z_i, \beta_i, R) + V^N(A_i, Z_i, \beta_i, R)$$

 $V = V^C + V^N$  - interaction potential





Minima in potential are result of interplay between liquiddrop, interaction, shell correction energies !

- 1. Liquid-drop energy globally increases when mass number deviate from symmetry.
- 2. Interaction energy has the opposite behavior.
- **3.** Both depend on deformations of nuclei: larger deformations result in smaller interaction energy, larger liquid-drop energy.



Minimum becomes wider, migrates to larger deformations with increasing excitation energy

### <u>Model</u>

<u>Yields</u>:

$$w(A_i, Z_i, \beta_i, E^*) = N_0 \exp\left[-\frac{U(A_i, Z_i, \beta_i, R_b)}{T}\right]$$

$$Y(A_i, Z_i, E^*) = \int d\beta_L d\beta_H w(A_i, Z_i, \beta_i, E^*)$$

$$Y(A_i, E^*) = \frac{\sum_{Z_i} Y(A_i, Z_i, E^*)}{\sum_{Z_i, A_i} Y(A_i, Z_i, E^*)},$$
$$Y(Z_i, E^*) = \frac{\sum_{A_i} Y(A_i, Z_i, E^*)}{\sum_{Z_i, A_i} Y(A_i, Z_i, E^*)}.$$

Ratio of yields of fragments with different charge/mass is governed by difference in energy and width between their potential minima in PES ( $\beta_L$ ,  $\beta_H$ ).

If two minima are close in energy, higher yield stems from  $(\beta_L, \beta_H)$ . with wider-shallower minimum, lower yield emerges from abrupt-narrow minimum.

## **Results**

- 1.Fission at Low Excitation Energy (s.f., thermal neutron)
- 2.Fission at High Excitation Energy(e.-m.-,n-,HI-induced)
- 3. Fission of Heavy Actinides: Fm, No, Rf











Calculated charge distributions for electromagnetic-induced fission of <sup>230-234</sup>U at exc. energy about 11 MeV

*Exper. :* K.-H.Schmidt *et al.*, NPA 665(2000)221.

Model	is	well	suited	<u>for</u>
<u>describ</u>	ing	both	asymm	<u>etric</u>
and	syr	nmetri	ic fis	ssion
distribu	tion	s as	well	as
transitio	on b	etwee	n two.	

#### High excitation energy of fissioning nucleus



#### Exper.:K.Hirose et al. PRL119(2017)222501



•••U

# The change of charge/mass-yields with increasing isospin or excitation energy is related to the change of PES at scission point





Fission of heavy actinides







## Potential energy at scission is main ingredient

- 1) Liquid-drop energy globally increases when mass number deviate from symmetry.
- 2) Interaction energy has the opposite behavior.
- 3) **Both** depend on deformations of nuclei: larger deformations result in smaller interaction energy, larger liquid-drop energy.
- 4) **Deformations** depend on shell effect: **magic** nuclei are expressed in small deformations.
- 5) Shell correction energy



Minima in potential or Maxima in yields are result of interplay between liquid-drop, interaction, shell correction energies.

- Shell effects affect indirectly (through deformations) appearance of minima of PES, facilitation of large number of magic fragments.
- As E\* increases, shell and stiffness diminish, shifting and widening minima on PES.

Direct role of shell effects is expressed by their ability to enhance or suppress formation of minima of PES.



# **Saturation effect**

At some critical excitation energy saturation of symmetric yields occurs.

Further increase of E\* leads only to population of more asymmetric accessible configurations.

It is worth to be studied experimentally!



## **Charge distributions:**

## comparison of mass & charge yields

# Is there a difference between mass and charge distributions ?



Experimental verifications of this unexpected difference between mass and charge distributions are desirable !

Transformation of shape of charge yields occurs in a similar fashion like one of mass yields, but slower with increasing E<sup>\*</sup>.



- The change of charge-, mass-yields with increasing isospin or excitation energy is related to the change of PES at scission point
- Maxima in yields are direct result of interplay between liquid-drop, interaction, shell correction energies
- Evolution of mass-yield shape with increasing isospin N Z occurs gradually
- Unexpected difference between charge and mass yields, 258Fm(sf), 260No(sf), 266Rf(sf)



- With increasing excitation energy the shapes of mass-, charge-yields change with different rates
- Saturation of symmetric yield occurs at excitation energy about 15 30 MeV

# Thank You For Your Attention !